

Status	Beendet
Begonnen	Montag, 9. Juni 2025, 16:06
Abgeschlossen	Montag, 9. Juni 2025, 16:22
Dauer	16 Minuten 52 Sekunden
Bewertung	10,00 von 10,00 (100%)

Frage 1

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the ground formula $F := f(a) = g(b, a) \wedge c = a \wedge f(c) \neq a$ in the theory of equality $\mathcal{T}_E$. Which one of the answers below is correct?

- ☐ a. F is valid.
- ☒ b. F is satisfiable, but not valid. ✓
- ☐ c. F is unsatisfiable.

Frage 2

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the following formula $F := g(g(c)) = f(f(a)) \wedge f(f(d)) \neq f(g(a)) \wedge g(a) = f(d)$. Which of the following statements hold?

Note: More than one answer might be correct.

- ☐ a. $F \wedge (f(g(d)) = c \wedge f(a) = g(a))$ is satisfiable.
- ☐ b. $F \wedge (g(c) \neq g(g(c)) \vee d = a)$ is satisfiable.
- ☐ c. $F \wedge (g(d) = g(a) \wedge f(d) = f(a))$ is satisfiable.
- ☒ d. All formulas in the other options are unsatisfiable. ✓

Frage 3

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the formula $F := p(f(b), c) \wedge f(b) \neq f(c) \wedge q(f(b), f(b)) \wedge f(c) \neq f(a)$ in the theory $\mathcal{T}_E$ of equality and the fresh symbols f_p , f_q and t . Which of the following formulas is equisatisfiable to F ?

- ☐ a. $f_p(f(b), c) \neq t \wedge f(b) \neq f(c) \wedge f_q(f(b), f(b)) \neq t \wedge f(c) \neq f(a)$
- ☐ b. $f(b) \neq f(c) \wedge f(c) \neq f(a)$
- ☐ c. $\neg(f_p(f(b), c) = t \wedge f(b) \neq f_p(c) \wedge f_q(f_q(b), f_p(b)) = t \wedge f(c) \neq f(a))$
- ☒ d. $\neg(f_p(f(b), c) = t \wedge f(b) \neq f(c) \wedge f_q(f(b), f(b)) = t \wedge f(c) \neq f(a))$ ✓

Frage 4

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the formula $\neg(F := \text{read}(\text{write}(A, d, a), d) = d \wedge a \neq c)$ in the theory of arrays $\mathcal{T}_A$ where (a, c, d) are constants and A is an array constant. Which one of the answers below is correct?

- ☐ a. $\neg(F)$ is valid.
- ☒ b. $\neg(F)$ is satisfiable, but not valid. ✓
- ☐ c. $\neg(F)$ is unsatisfiable.

Frage 5

Richtig

Erreichte Punkte 1,00 von 1,00

Which of the following formula is valid in the theory $\mathcal{T}_A$ of arrays where (a, b, c, d) are constants and A is an array constant?

- ☐ a. $(\text{read}(\text{write}(A, c, a), a) = d \wedge c = b \rightarrow d = b)$
- ☐ b. $(\text{read}(\text{write}(A, d, d), d) = b \wedge c = a \rightarrow b = a)$
- ☐ c. $(\text{read}(\text{write}(A, c, b), a) = b \wedge c = b \rightarrow d = c)$
- ☒ d. $(\text{read}(\text{write}(A, d, a), d) = c \wedge a = d \rightarrow a = c)$ ✓

Frage 6

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the formula $F := \text{read}(\text{write}(A, b, a), c) = d$ in the theory $\mathcal{T}_A$ of arrays where (a, b, c, d) are constants and A is an array constant. Which formula is valid:

- ☐ a. $(F \wedge b \neq d \rightarrow \text{read}(A, c) = d)$
- ☒ b. $(F \wedge b \neq c \rightarrow \text{read}(A, c) = d)$ ✓
- ☐ c. $(F \wedge b \neq a \rightarrow \text{read}(A, c) = d)$

Frage 7

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the formula $\neg(\text{read}(B, b) \neq \text{read}(A, g(a)) \wedge c \neq f(b) \wedge a = f(b))$ in the theory $\mathcal{T}_A$ of arrays and (f_A) , (f_B) and (t) are fresh symbols. Which of the following formulas is equisatisfiable to $\neg(F)$?

- ☐ a. $\neg(f_B(b) \neq t \wedge c \neq f(b) \wedge a = f(b))$
- ☒ b. $\neg(f_B(b) \neq f_A(g(a)) \wedge c \neq f(b) \wedge a = f(b))$ ✓
- ☐ c. $\neg(c \neq f(b) \wedge a = f(b))$
- ☐ d. $\neg(f(b) \neq f(g(a)) \wedge c \neq f(b) \wedge a = f(b))$

Frage 8

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the following formula $(F := f(c) + 3 \neq y + 2 \wedge (g(x+y) \neq \text{read}(\text{write}(A, x, 3), y+1) \vee z + 2 = \text{write}(A, x, 1)) \wedge \text{read}(A, y + 3) \neq f(b+2))$ in the theory of equality $\mathcal{T}_E$, arrays $\mathcal{T}_A$ and linear integer arithmetic $\mathcal{T}_{\mathbb{Z}}$. Which one of the following answers is a correct Boolean abstraction of $\neg(F)$?

Note: Use atoms to denote positive literals. For instance, the atom (p) is the abstraction of $(a=b)$. Do not use (p) as the abstraction of $(a \neq b)$.

- ☐ a. $(p_1 \wedge (p_2 \vee p_3) \wedge p_4)$
- ☐ b. $(\neg p_1 \wedge (\neg p_2 \vee p_3) \wedge \neg p_2)$
- ☐ c. $(\neg p_1 \wedge (\neg p_2 \wedge p_3) \wedge \neg p_4)$
- ☒ d. $(\neg p_1 \wedge (\neg p_2 \vee p_3) \wedge \neg p_4)$ ✓

Frage 9

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the set of formulas $\mathcal{F}$ as given below, in which the formulas might not belong to a single theory. Furthermore, let (a, b, d) be constants.

$$\mathcal{F} = \{ \sim h(g(d)) = b, \quad b + 1 = a + 1, \quad \text{write}(A, a, b) = d \sim \}$$

Which constant symbols are shared among different theories?

Note: Multiple answers might be correct.

- ☒ (a) ✓
- ☒ (d) ✓
- ☒ (b) ✓

Frage 10

Richtig

Erreichte Punkte 1,00 von 1,00

Consider the set of formulas $\mathcal{F}$ as given below, in which the formulas might not belong to a single theory.

$$\mathcal{F} = \{ \neg f(a + 7) = h(b + 2) + 2, \quad \& (a + b \neq h(b) + 2), \quad \& \text{read}(A, y + 2) \neq x \}$$

Which variables and equalities need to be introduced to allow theory separation?

- ☒ $\neg c_1 = a + 7, \neg c_2 = b + 2, \neg c_3 = h(c_2), \neg c_4 = c_3 + 2, \neg c_5 = a + b, \neg c_6 = h(b), \neg c_7 = c_6 + 2, \neg c_8 = y + 2$ ✓
- ☐ $\neg c_1 = a + 7, \neg c_2 = b + 2, \neg c_3 = h(c_2) + 2, \neg c_4 = a + b, \neg c_5 = h(b) + 2, \neg c_6 = y + 2$
- ☐ $\neg c_1 = a + 7, \neg c_2 = b + 2, \neg c_3 = h(b + 2) + 2, \neg c_4 = a + b, \neg c_5 = h(b) + 2$
- ☐ $\neg c_1 = a + 7, \neg c_2 = b + 2, \neg c_3 = h(b + 2) + 2, \neg c_4 = a + b, \neg c_5 = h(b) + 2, \neg c_6 = y + 2$