

Paper 7

$E(Z)$ = Expected Profit

$E(Q)$ = Expected Sales

P = Price

V = Variable Cost

F = Fixed Cost

$$E(Z) = E(Q)(P-V) - F$$

- Assumptions: Sales volume mean = 5,000 and standard deviation = 400, per-unit selling-price = 3,000, fixed cost = 5,800,000 and variable cost per unit = 1,750.
 - What is: Expected profit, standard deviation of profit, prob. of at least breaking even, prob. of profits greater than 200,000, prob. of loss greater than -300,000
 - Expectation and standard deviation of profit, if all variable are stochastic (p. 924)
-

Expected Sales

Mean = 5000

Stdd. = 400

Fixed cost = 5.800

Variable Cost per Unit = 1.750

$P = 3000$

Standard deviation of profit

$$\text{Stdd} * (P - V) = 400 * (3000 - 1750) = 500.000$$

Probability of at least break even

$$E(Z) = E(Q) * (3000 - 1750) - 5.800.000$$

$$\text{Breakevenquantity } (Q) = F / (P - V)$$

$$5.800.000 / (3000 - 1750) = 4640$$

$$X = (\text{Actual Sales} - \text{Mean Sales}) / \text{Deviation}$$

We assume Actual Sales = Q, to calculate the probability of the case having more than the break even

$$X = (4640 - 5000) / 400 = -0,9$$

$$P(X) = 0,18$$

1 - P(X) = 0,8160 → **achtung: falsch...** war aber die Lösung in der VO und genauso im Paper!
→ hat er aber in der VO dazu gesagt, dass es falsch ist im Paper

$$\rightarrow F(-0,9) = 1 - F(0,9) = 1 - 0.81594 = 0.18406$$

$F(-X) = 1 - F(X)$ → wegen Symmetrieeigenschaft der NV

Lookup Table here:

<https://de.wikipedia.org/wiki/Standardnormalverteilungstabelle>

Probability profit is greater than 200.000

$$E(Z) = E(Q) * (3000 - 1750) - 5.800.000$$

$$\text{Breakevenquantity (Q)} = F / (P - V)$$

$$5.800.000 / (3000 - 1750) = 4640$$

Profit per sales after break even

$$\text{Desired Profit (D)} / (P - V) = \text{Sales needed after break even}$$

$$200.000 / (3000 - 1750) = 160$$

$$\text{Actual Sales} = \text{Break Even} + \text{Sales needed after break even } 4640 + 160 = 4800$$

Leichterer Lösungsweg:

$$200\ 000 = Q * (P - V) - F$$

$$6\ 000\ 000 / 1250 = Q$$

$$Q = 4800$$

$$X = (\text{Actual Sales} - \text{Mean Sales}) / \text{Deviation}$$

$$(4800 - 5000) / 400 = -0.5$$

$(1 - P(-0,5) = 0,69146) \rightarrow$ achtung: falsch

$P(-0.5) = 1 - P(0.5) = 0.30854 \rightarrow$ siehe Break Even Berechnung

Sorry but isn't that the probability that your profit won't be greater than 200000?

300.000 Lost Probability

$$E(Z) = E(Q) * (3000 - 1750) - 5.800.000$$

$$\text{Breakevenquantity (Q)} = F / (P-V)$$

$$5.800.000 / (3000 - 1750) = 4640$$

$$\text{Things I can not sell} = 300.000 / (3000 - 1750) = 240$$

$$\text{Actual sales} = \text{Break Even} - \text{things I can not sell} = 4400$$

$$X = (\text{Actual Sales} - \text{Mean Sales}) / \text{Deviation}$$

$$(4400 - 5000) / 400 = -1,5$$

$$\rightarrow -300\ 000 = Q * (P - V) - F$$

$$Q=4400$$

$$Z=(4400-5000)/400 = -1.5$$

$$P(-1.5) = 1-P(1.5) = 0.06681$$

$$P(X) = P(-1,5) = 0,066807$$

Difference between $P(x>y)$ and $P(x<y)$

Can someone explain/show which way around means what?

Eg. loss greater 300.000 vs win greater 300.000

Paper 8

numerical
 Single variable regression model
 Table 4 in Article 8

IT-based 14.12.2018

Estimate wDay $y = kx + d$
 $XS = 802 - 50 \cdot wDay$
 1, 2, ..., 7

categorical
 Single factor regression model

as factor (wDay)
 Monday, Tuesday, ..., Friday

14.12. 0 0 0 0 1 0 0
 ↑
 1 to Friday
 Dummy variable (boolean with \logit)

Table 5 changed to
 ABC $\boxed{0+}$ as factor (wDay) — no intercept term
 any more
 \Rightarrow regression without
 intercept

wDay(1) 821.7
 wDay(2) -1/3 + 821.7

Table 4: ABC sales volumes – Single variable linear model (svlm)

```

> xSD01ABC.svlm <- NULL # Single variable linear model (svlm)
> xSD01ABC.svlm <- lm(ABC~wDay,xSD01Ext.xts)
> summary(xSD01ABC.svlm)
Call:
lm(formula = ABC ~ wDay, data = xSD01Ext.xts)
Residuals:
    Min       1Q   Median       3Q      Max
-285.28 -138.50  -41.32  126.29  492.94
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept)  802.001     18.156  44.172  <2e-16 ***
wDay        -50.055      5.466  -9.157  <2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
Residual standard error: 176.7 on 521 degrees of freedom
Multiple R-squared:  0.1386, Adjusted R-squared:  0.137
F-statistic: 83.85 on 1 and 521 DF, p-value: < 2.2e-16

```

Table 5: ABC sales volumes – Single factor (multinomial) linear model (sflm)

```

> xSD01ABC.sflm <- NULL # Single factor linear model (sflm)
> xSD01ABC.sflm <- lm(ABC~as.factor(wDay),xSD01Ext.xts)
> summary(xSD01ABC.sflm)
Call:
lm(formula = ABC ~ as.factor(wDay), data = xSD01Ext.xts)
Residuals:
    Min       1Q   Median       3Q      Max
-301.14 -133.00  -25.36  122.85  423.19
Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept)    821.70     15.55  52.844  < 2e-16 ***
as.factor(wDay)2 -113.65     21.99  -5.168  3.38e-07 ***
as.factor(wDay)3 -301.69     21.94 -13.752  < 2e-16 ***
as.factor(wDay)4 -250.92     21.94 -11.438  < 2e-16 ***
as.factor(wDay)5 -182.33     21.94  -8.311  8.38e-16 ***

```

Result after adding 0+as.factor(wDay)

Coefficients:

| | Estimate | Std. Error | t value | Pr(> t) |
|------------------|----------|------------|---------|------------|
| as.factor(wDay)1 | 821.70 | 15.55 | 52.84 | <2e-16 *** |
| as.factor(wDay)2 | 708.05 | 15.55 | 45.53 | <2e-16 *** |
| as.factor(wDay)3 | 520.01 | 15.48 | 33.60 | <2e-16 *** |
| as.factor(wDay)4 | 570.77 | 15.48 | 36.88 | <2e-16 *** |
| as.factor(wDay)5 | 639.37 | 15.48 | 41.31 | <2e-16 *** |

Can someone explain what we should learn from this?

Paper 9

Case: Planning of Stochastic Optimal Production Volumes

- You as management controller support the production managers in planning
 - The production management has to set the production volumes for the following two periods. In the second period two different state can be distinguished according to the sales realizations in the first period.
 - What are the optimal production volumes for the two periods, if the expected EBIT profit has to be maximized and the following information is available
 - Capacity limitations only allow the production of either 950 or 1.050 units
 - Last period's demand was 1.000 units; in each future period the demand can increase with 50 % probability by 10 % or decrease with 50 % probability by 10 %
 - Currently no units are on stock (empty inventory)
 - Sales price: 100; variable unit cost: 50; periodic fixed cost: 40.000; storage cost/unit: 5
-

| | | |
|---|---|---|
| + | | |
| 0 | 1 | 2 |

EBIT-Profit-Model

$$\text{EBIT} = \text{Revenue} - \text{Cost}$$

$$= \text{Price} \cdot \text{SalesVol.} - \text{Fixed Costs} - \text{VarCosts} \cdot \text{SalesVol.}$$

$$\text{EBIT}(s_{11}|s_0) = 100 \cdot 1100 - 40000 - 50 \cdot 1100 = 15000$$

$$\text{EBIT}(s_{12}|s_0) = 100 \cdot 900 - 40000 - 50 \cdot 900 = 5000$$

$$\text{EBIT}(s_{11}|s_0, x_{p,0} = 1050) = 100 \cdot 1050 - 40000 - 50 \cdot 1050 = 12500$$

↑
restriktion
max. SalesVol

$x_{S(s_{11},1)} \Rightarrow \text{Production} = \text{SalesVol.}$

EBIT = Earning before interest

EBIT = Revenue - Cost

Price * Sales - Fixed Costs - Variable Costs * Sales

S(S11|S0) = 15.000

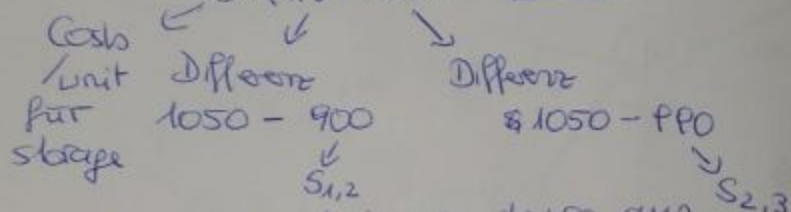
EBIT(S12|S0) = 100 * 900 - 40.000 - 50*900 = 5000

$$EBIT(S_{2,3} | S_0, x_{p,0} = 1050) =$$

$$x_{p,1} = 1050$$

$$S_{2,3} = PP_0 - (100 - 50) - 40000 -$$

$$5 \cdot (150 + 60) = \underline{8.450}$$



man geht immer davon aus, dass 1050 in jeder Periode hergestellt werden

ACC Model

| Produktive Cost | |
|-----------------|--------|
| 1050.50 | 150.50 |
| = 52.500 | = 7500 |

(Balance Sheet)

| Lager of Products | |
|-------------------|--|
| 150.50 | |
| = 7500 | |

45000 sold
Costs of goods sold
"COGS"

$$EBIT(S_2, 2 | S_0, x_{P,0} = 1050, x_{P,1} = 1050) =$$

$$PPO \cdot (100 - 50) \cdot 40000 - 5 \cdot 60 = \underline{9200}$$

expected profit:

$$E[EBIT_2 | S_0, x_{P,1} = 1050, x_{P,2} = 1050] = 12500 \cdot \frac{1}{2} + 9200 \cdot \frac{1}{2} = \underline{10850}$$

↑
2nd period

Solution: auf TISS in Aptx (p. 20)

In which ppt? → "CVPbasedProductionPlanning1812.pdf" (p. 25 contains all steps) -> thanks :)

Paper 10

CPI (Cost Performance Index) = < 1 (Over-Budget, ich bin übers budget)

SPI (Schedule Performance Index) < 1 (Over-Time, ich bin hinten nach)

SV (Schedule Variance) < 0 (Over-Time)

CV (Cost Variance) < 0 (Over-Budget)

BCWP = EV (Budgeted Cost for Work Performed = Für die tatsächlich gemachte arbeit, wie viel kosten wären im Plan → berechnet nach der erledigten Arbeit und den geplanten Kosten)

ACWP = AC (Actual Costs of Work Performed = Wieviel hat die tatsächlich gemachte Arbeit gekostet)

BCWS = (Budgeted Cost of Work Scheduled = Wie hoch waren die geplanten kosten zum Stichtag)

$$SPI = BCWP / BCWS$$

$$CPI = BCWP / ACWP$$

$$SV = BCWP - BCWS$$

$$CV = BCWP - ACWP$$

Group work: Controlling projects under uncertainty

- You – as project manager at IBM – are responsible for achieving the time and cost budgets set for the new management control project. For that purpose you identified the critical path along the working packages A1 (4), A4 (3) and A9 (3), where the entry in parenthesis indicates the expected duration in months. According to the PERT scheduling methodology you calculate the planned project duration along the critical path.

Now at runtime of the project execution you observe that the first working package took one month longer than scheduled. Based on that information calculate the conditional forecast for the overall project duration by using the additive model and subtract the originally planned project duration from this forecast to calculate the plan/forecast deviation. If the deviation is larger than 5 % of the planned duration you hire an additional software developer in order to eliminate the existing deviation and to finish to project just in time.



1/10 = 10% deviation

$$ACWP = 4$$

$$BCWP = 0,8 \cdot 4 = 3,2$$

$$\underline{BCWS = 4}$$

$$SP1 \quad \frac{BCWP}{BCWS} = \frac{3,2}{4} = 0,8$$

Very helpful:

<https://www.youtube.com/watch?v=z7b3SYQuqJM>

<https://www.youtube.com/watch?v=skb-m8UOKqg>

MC Questions

Some MC questions from old semesters that could be useful for this exam:

I am not sure about the answers, so please do not hesitate to update them if you are sure.

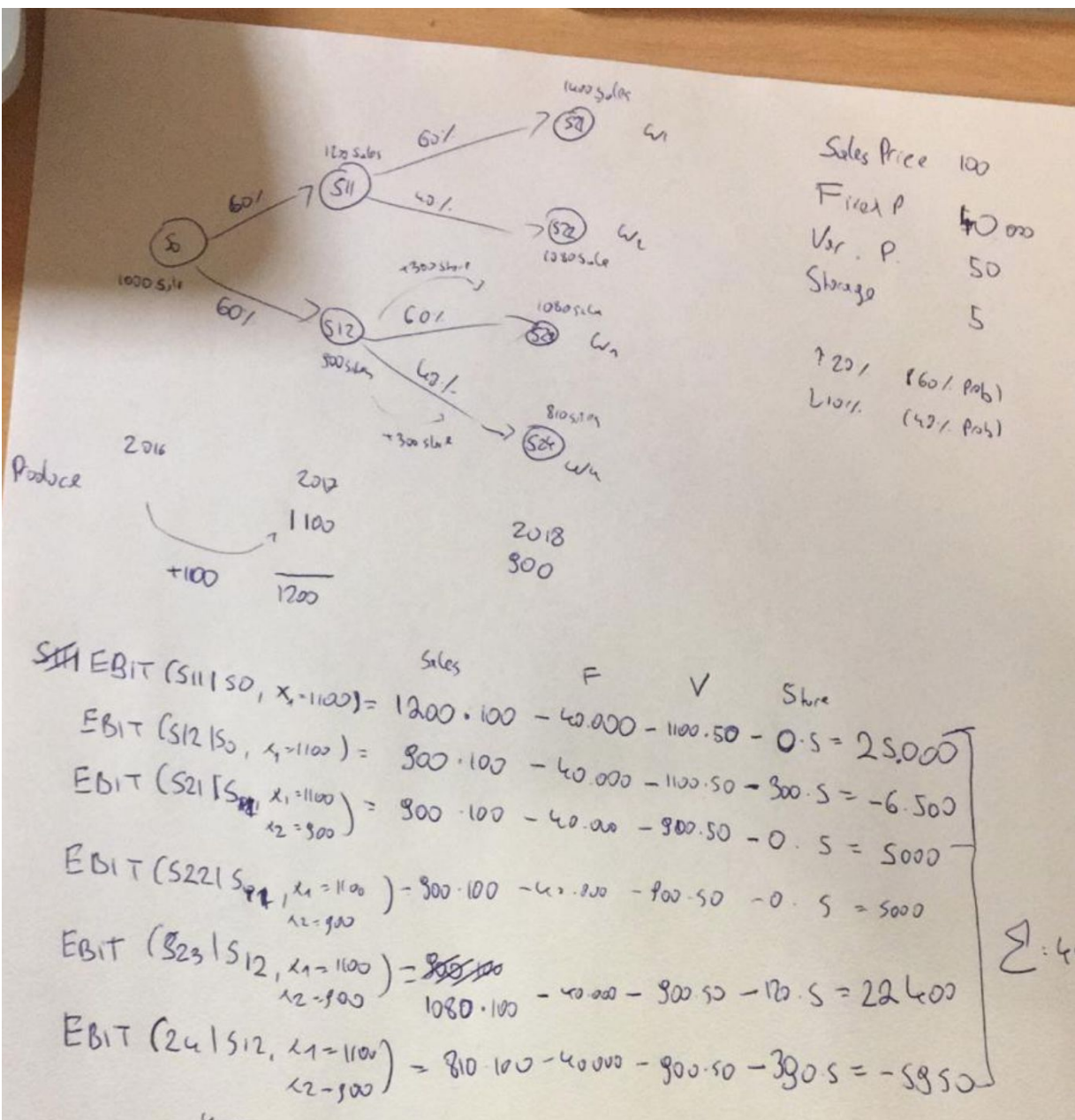
You can also add other questions (;

| True/False Question | T | F |
|---|----|---|
| The backward induction is an important concept in decision theory \Rightarrow state based control theory | T | |
| REA is an abbreviation for resources, evaluation and agents | | F |
| Resource-Events-Agents (REA)-based transactions include the concept of duality | T | |
| PDCA-cycles are the operating principle of the ISO's technical standards | | F |
| Management controls relate to the 2 nd line of defence | | F |
| Stochastic control theory deals with finding optimal decisions which relate to single points of time or single periods of time. | | F |
| The state-based control strategy takes the actual realized state information into account | T | |
| The time-based control strategy takes the actual realized state information into account | | F |
| In the case of an positive EBIT the operating leverage cannot be smaller than 2 | | F |
| Standard costs are per-unit costs that can be variable or fixed | T | |
| The cost volume profit analysis is based upon a quadratic cost function | | F |
| Project control under uncertainty is only valid on the assumption of normally distributed duration of the working packaged. | | F |
| The cost volume profit analysis under uncertainty is introduced by Buzby | | F |
| The EBIT profit measure includes all cost incurred from the production volume | T? | |

2) You are the production manager at Strawberry Foundation: Calculate the expected value and the standard deviation of the sum of the EBIT profits for 2017 and 2018, when you decide to produce in the first period 1.100 Strawberry Pi units and in the second period 900 units. In the year 2016 1.000 units were sold and at the beginning of 2017 there are 100 units on stock. The demand for the next years is assumed to follow a binomial process. In each year the demand can increase by 20 % with the probability of 60 % and decrease by 10 % with probability of 40 %. Furthermore you assume the following prices and costs, which all are constant over time: Sales price = 100, fixed costs = 40.000, variable unit cost = 50 and storage cost per unit = 5. (8 Points)

Results: Expected value

Standard deviation



$$\text{Mean} = \sum \text{EBIT} / 6 = 44850 / 6 \approx 7482$$

$$\text{Var} = \sqrt{\frac{1}{6} \sum (\text{EBIT} - \mu_{7482})^2} = 12.367$$