Verification

of Programs and Systems

Georg Weissenbacher

https://www.forsyte.at



Bugs in the news ...



Toyota Prius

(New York Times, Feb. 12, 2014) Toyota Motor is recalling all of the 1.9 million newest-generation Prius vehicles it has sold worldwide because of a programming error ...

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Heathrow Airport

(The Guardian, December 2014) An unprecedented systems failure was responsible for the air traffic control chaos [...] "In this instance a transition between the two states caused a failure in the system which has not been seen before," ...



What goes up ...



Lufthansa Airbus A321

(Spiegel, March 20, 2015) Beinahe wäre ein Airbus A321 der Lufthansa mit 109 Passagieren auf dem Flug von Bilbao nach München abgestürzt – irregeleitete Bordcomputer hatten die Kontrolle übernommen.

What goes up ...



Boeing 787 Dreamliner

(The Guardian, May 2015) The US air safety authority has issued a warning and maintenance order over a software bug that causes a complete electric shutdown of Boeing's 787 ...



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Some hardware bugs ...



Meltdown and Spectre

(New York Times, January 2018) Called Meltdown, the first and most urgent flaw affects nearly all microprocessors by Intel. The second, Spectre, affects most other chips ...

Some hardware bugs ...



Meltdown and Spectre

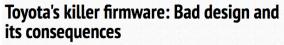
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Rowhammer Bug

(InfoWorld, March 9, 2015) ...with certain varieties of DRAM an attacker can create privilege escalations by simply repeatedly accessing a given row of memory.







Michael Dunn -October 28, 2013 126 Comments

Quelle: www.edn.com

- Oklahoma courd ruled against Toyata in case of unintended acceleration that lead to death
- Expert witness found numerous bugs in software (including bugs that can cause unintended acceleration), founds source code of "unreasonable quality"

21'S TECHNICA & BIZ & IT TECH SCIENCE POLICY CARS GAMING & CULTURE FORUMS

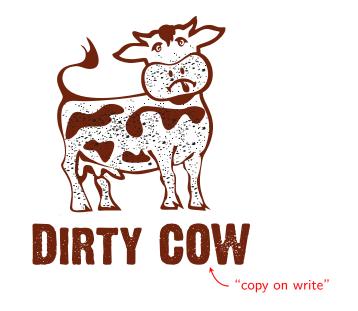
RISK ASSESSMENT -

"Most serious" Linux privilege-escalation bug ever is under active exploit (updated)

Lurking in the kernel for nine years, flaw gives untrusted users unfettered root access.

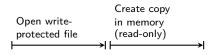
DAN GOODIN - 10/20/2016, 10:20 PM



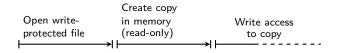


(CVE-2016-5195, published October 2016)

Goal: Write to protected systems file

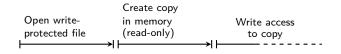


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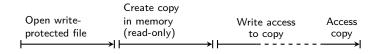
Copy-On-Write (COW) Upon write attempt, system creates copy of protected memory area



System creates writable ("dirty") copy

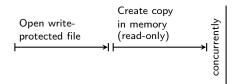
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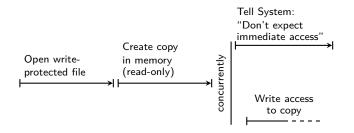


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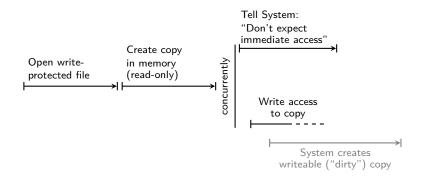
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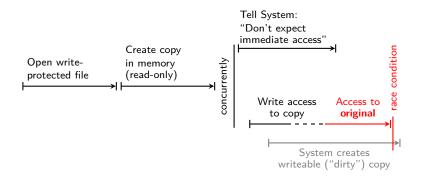
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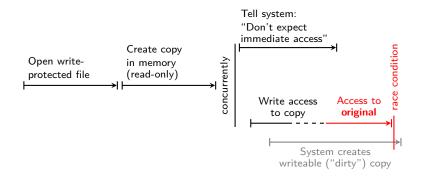


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Race Condition rarely happens

- Testing isn't particularly effective
- Systematic search (of schedules) is required

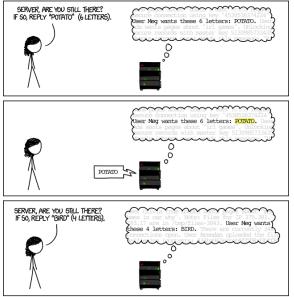
Another security bug ...

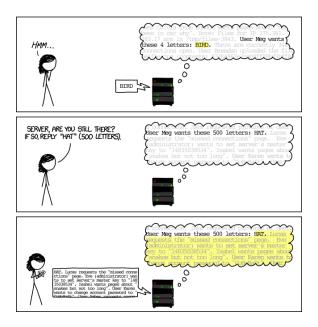


Heartbleed Bug

(CNN, April 9, 2014) A major online security vulnerability dubbed "Heartbleed" could put your personal information at risk, including passwords, credit card information and e-mails.

HOW THE HEARTBLEED BUG WORKS:





Can you see it?

```
typedef struct {
  char* data:
  unsigned int len;
} ssl buffer:
typedef struct {
  ssl buffer buffer:
} SSL;
int tls1_process_heartbeat(SSL *s)
Ł
  char *p=s->buffer.data,*pl;
  unsigned short hbtype;
  unsigned int payload;
  unsigned int padding = 16;
  hbtype = *p++;
  n2s(p, payload);
  pl = p;
```

```
if (hbtype == TLS1_HB_REQUEST)
ſ
  unsigned char *buffer, *bp;
  int r;
  buffer = malloc(1 + 2 +
                   payload +
                   padding);
  bp = buffer;
  *bp++ = TLS1_HB_RESPONSE;
  s2n(payload, bp);
  memcpy(bp, pl, payload);
  bp += payload;
  RAND pseudo bytes(bp, padding);
  r = ssl3_write_bytes
      (s,TLS1_RT_HEARTBEAT,
       buffer.
       3 + payload + padding);
  free(buffer);
  if (r < 0)
    return r;
}
```

Let's use a tool to find the bug! (Try this at home)

- C Bounded Model Checker (CBMC): https://www.cprover.org/cbmc
- Install command line tool
 - On Ubuntu: sudo apt install cbmc (version > 5.10):

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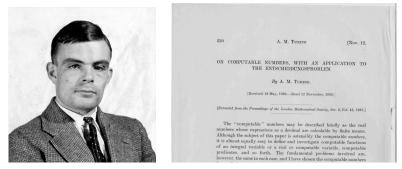
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- Run: cbmc --pointer-check heartbleed.c
- Output: ** Results:
 <builtin-library-malloc> function malloc
 [malloc.assertion.1] line 25 max allocation size exceeded: SUCCESS

```
src/heartbleed.c function tls1_process_heartbeat
[tls1_process_heartbeat.precondition_instance.1] line 54 memcpy
src/dst overlap: SUCCESS
[tls1_process_heartbeat.precondition_instance.2] line 54 memcpy
source region readable: FAILURE
[tls1_process_heartbeat.precondition_instance.3] line 54 memcpy
destination region writeable: SUCCESS
```

Can we always find bugs automatically?



Alan Turing (1912–1954)

Turing's Halting Problem (1936)

Given a description of a program, decide whether the program finishes running or continues to run forever.

(undecidable)

Turing's Halting Problem

Proof ingredients:

- Program can be encoded as string
- Program operations can be simulated by Turing machine
- Diagonalization

Assume \boldsymbol{h} is a computable function

$$\begin{split} h(i,x) &= \left\{ \begin{array}{ll} 1 & \text{if program } i \text{ halts on input } x \\ 0 & \text{otherwise} \end{array} \right. \\ g(i) &= \left\{ \begin{array}{ll} 0 & \text{if } h(i,i) = 0 \\ \bot & \text{otherwise} \end{array} \right. \end{split}$$

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• So e with input i does not terminate if i terminates on input i

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$$\bullet \ g(e)=h(e,e)=0.$$

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■ So *e* with input *i* does *not* terminate if *i* terminates on input *i* We perform a case split:

■
$$g(e) = h(e, e) = 0$$
. But e halts on input e , thus $h(e, e) = 1$
■ $g(e) = \bot$ and $h(e, e) \neq 0$.

Assume h is a computable function

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•
$$g(e) = h(e, e) = 0$$
. But e halts on input e , thus $h(e, e) = 1$

 $\blacksquare \ g(e) = \bot \ \text{and} \ h(e,e) \neq 0.$ But $e \ \text{doesn't halt, so} \ h(e,e) = 0$

Can we always find bugs automatically?



Kurt Gödel, 1931: Über formal entscheidbare Sätze der Principia Mathematica und verwandter Systeme

Alonzo Church, 1936: An Unsolvable Problem of Elementary Number Theory



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Mission impossible?

What can be done?

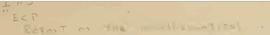
"Software pioneers" in WW2



Alan Turing



Herman Goldstine J. Robert Oppenheimer John von Neumann



PLANNING AND CODING OF PROBLEMS

FOR AN

ELECTRONIC COMPUTING INSTRUMENT

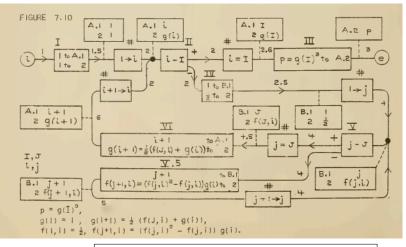
ΒY

Herman H. Goldstine

John von Neumann

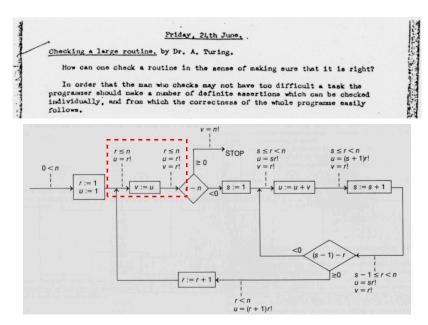
Report on the Mathematical and Logical aspects of an Electronic Computing Instrument

Part II, Volume 1-3



An assertion box never requires that any specific calculations be made, it indicates only that certain relations are automatically fulfilled whenever C gets to the region which it occupies.

Turing didn't give up either



Friday, 24th June.

Checking a large routine. by Dr. A. Turing.

How can one check a routine in the sense of making sure that it is right?

In order that the man who checks may not have too difficult a task the programmass should make a number of definite assertions which can be checked individually, and from which the correctness of the whole programme easily follows.

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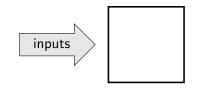
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Questionnaire:

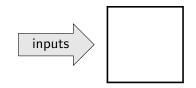
- Who of you writes programs?
- Who knows what assertions are?
- Who uses assertions?

How do we know Assertions hold?

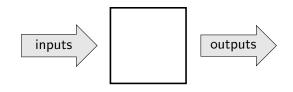
Poke and prod the program with the right inputs



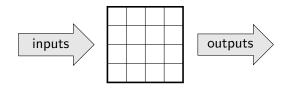
- Poke and prod the program with the right inputs
 - But how do we find those?



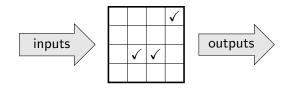
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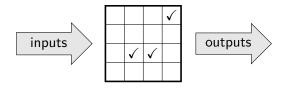


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How do we know Assertions hold?

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 - But how do we find those?
- Check whether it behaves as desired (*outputs*)
- But when are we done?



Time for another questionnaire:

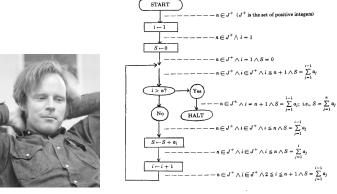
- Who of you tests *systematically*?
- Which coverage metrics do you know?

What are we even testing?

Does the program behave as specified?

- Specification
 - Required ingredients: Formalism, Assertion Language
- Program
 - Required ingredients: Language semantics

Assertions and Program Semantics



Robert W. Floyd

FIGURE 1. Flowchart of program to compute $S = \sum_{j=1}^{n} a_j$ $(n \ge 0)$

Then, by <u>induction on the number of commands</u> executed, one sees that if a program is entered by a connec(on whose associated proposition is then true, it will be left (if at all) by a connection whose associated proposition will be true at the time. By this means, we may prove certain properties of programs, ...

Floyd-Hoare Logic: Axioms for Programs





Sir C.A.R. Hoare

 $\{ {\sf Pre-Condition} \} \quad {\sf Program} \quad \{ {\sf Post-Condition} \}$

Assignments:

$$\overline{\{Q[\mathbf{x}/e]\} \mathbf{x} := e \{Q\}}$$

Composition:

 $\frac{\{P\} \ S \ \{Q\} \qquad \{Q\} \ T \ \{R\}}{\{P\} \ S; T \ \{R\}}$

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Allows us to prove programs correct!

Dijkstra's Predicate Calculus

What *effect* does an instruction have on an assertion?

 $\{x < 10\}$ x := x + 1 $\{?\}$

Strongest Postcondition:

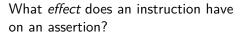
$$\begin{aligned} & \operatorname{sp}(\mathbf{x} := e, P) = \\ & \exists \mathbf{x}_0 \, . \, \mathbf{x} = e[\mathbf{x}/\mathbf{x}_0] \wedge P[\mathbf{x}/\mathbf{x}_0] \end{aligned}$$

where \boldsymbol{x}_0 is the "old" value of \boldsymbol{x}



Edsger W. Dijkstra

Dijkstra's Predicate Calculus



 $\{x < 10\}$ x := x + 1 $\{?\}$

Strongest Postcondition:

 $sp(\mathbf{x} := e, P) = \\ \exists \mathbf{x}_0 \, . \, \mathbf{x} = e[\mathbf{x}/\mathbf{x}_0] \land P[\mathbf{x}/\mathbf{x}_0]$

where x_0 is the "old" value of x Example:

$$\begin{aligned} & \operatorname{sp}(\mathbf{x} := \mathbf{x} + 1, (\mathbf{x} < 10)) = \\ \exists (\mathbf{x}_0 \cdot \mathbf{x} = \mathbf{x}_0 + 1) \land (\mathbf{x}_0 < 10) \end{aligned}$$



Edsger W. Dijkstra

Formalisms for Assertions and Specifications

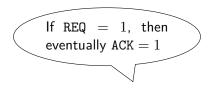


$$p \neq \text{null}$$

Questionnaire:

- In which language are assertions written?
- When do assertions have to hold?
- If all assertions hold, is the program correct?

Limitations of Assertions



Questionnaire:

- Can this be expressed as an assertion in C or Java?
- Can we use testing to find such a violation?
- How can this assertion be violated?

Temporal Logic



Amir Pnueli

Linear Temporal Logic

- Temporal operators
 - always
 - \blacksquare eventually
- Describes how executions evolve

Temporal Logic



Amir Pnueli

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AG (REQ
$$\Rightarrow$$
 F ACK)

Model Checking

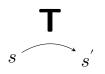


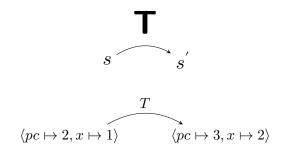
Edmund Clarke Allen Emerson Joseph Sifakis

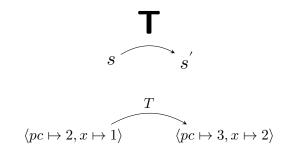
Basic idea:

- Assertions in temporal logic
- Programs with finite state space
- models instead of programs
- all reachable states are inspected!
- also works for concurrent models

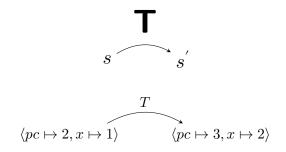
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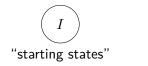




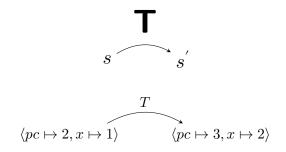


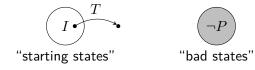
(T: operational semantics of program or circuit)

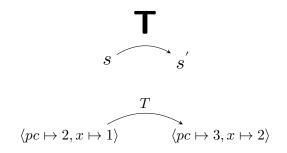


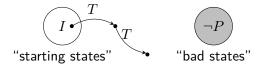


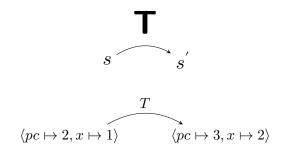


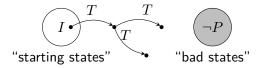


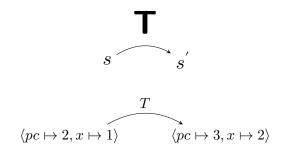






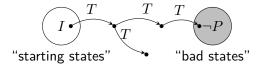


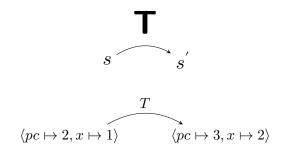




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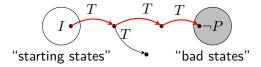
The Model Checking problem:

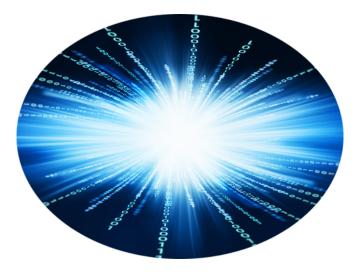




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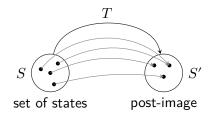


State Space Explosion

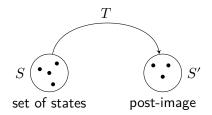
Why explore states one by one?



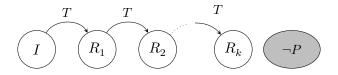
Why explore states one by one?



Why explore states one by one?



$$S' \quad = \quad T(S) \stackrel{\mathrm{\tiny def}}{=} \{s' \, | \, T(s,s') \land s \in S\}$$



How do we efficiently represent sets of states?



Ken McMillan

Basic idea:

- use logic to represent states
- implementation: SMV model checker

Symbolic Model Checking

Logical formulas to represent states



Symbolic Model Checking

Logical formulas to represent states

F(V)program variables, registers, latches, signals, ...

Symbolic Model Checking

Logical formulas to represent states

$(x>0) \quad \text{represents} \quad \{s \,|\, s(x)>0\}$

And what about transitions?

Binary Relations!

 $T(\,V,\,\underbrace{V^{'}})$ target states

And what about transitions?

Binary Relations!

$$(x' = x + 1)$$
 represents $\{\langle s, s' \rangle | s'(x) = s(x) + 1\}$

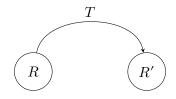
And what about transitions?

Binary Relations!

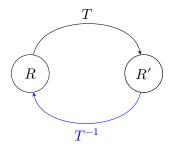
$$\underbrace{(x'=x+1)}_{\mathbf{x}++} \quad \text{represents} \quad \{\langle s,s'\rangle \,|\, s'(x)=s(x)+1\}$$

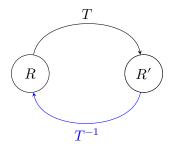


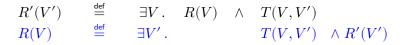
R



$R'(V') \quad \stackrel{\rm def}{=} \quad \exists V \, . \quad R(V) \quad \wedge \quad T(V,V')$





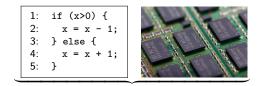


(Note the similarity to strongest postcondition)



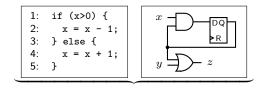
Τ

(transition relation)



Τ

(transition relation)



(transition relation)

Т

 $T(\langle pc,x\rangle,\langle pc',x'\rangle)$



$$\bigwedge \left(\begin{array}{cccc} 1: & \text{if } (\mathbf{x} > \mathbf{0}) \\ 2: & \mathbf{x} = \mathbf{x} - \mathbf{1}; \\ 3: & \text{else} \\ 4: & \mathbf{x} = \mathbf{x} + \mathbf{1}; \\ 5: & \text{assert } (\mathbf{x} \ge \mathbf{0}); \end{array} \right) \\ \hline T(\langle pc, x \rangle, \langle pc', x' \rangle) \stackrel{\text{def}}{=} \\ \hline \\ \bigwedge \left(\begin{array}{cccc} (pc = 1) & \wedge & (\mathbf{x} > \mathbf{0}) \end{array} \right) \Rightarrow & (pc' = 2) & \wedge & (x' = x) \end{array} \right)$$

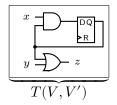
$$\begin{array}{cccc} 1: & \text{if } (\mathbf{x} > \mathbf{0}) \\ 2: & \mathbf{x} = \mathbf{x} - \mathbf{1}; \\ 3: & \text{else} \\ 4: & \mathbf{x} = \mathbf{x} + \mathbf{1}; \\ 5: & \text{assert } (\mathbf{x} \ge \mathbf{0}); \\ \hline T(\langle pc, x \rangle, \langle pc', x' \rangle) \stackrel{\text{def}}{=} \\ \end{array} \\ \bigwedge \left(\begin{array}{cccc} (pc = 1) & \wedge & (x > \mathbf{0}) \\ (pc = 1) & \wedge & \neg(x > \mathbf{0}) \end{array} \right) \Rightarrow & (pc' = 2) & \wedge & (x' = x) \\ (pc = 1) & \wedge & \neg(x > \mathbf{0}) \end{array} \right) \Rightarrow & (pc' = 4) & \wedge & (x' = x) \end{array}$$

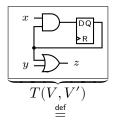
$$\begin{pmatrix} 1: & \text{if } (\mathbf{x}>0) \\ 2: & \mathbf{x} = \mathbf{x} - 1; \\ 3: & \text{else} \\ 4: & \mathbf{x} = \mathbf{x} + 1; \\ 5: & \text{assert } (\mathbf{x}\geq 0); \\ \hline T(\langle pc, x \rangle, \langle pc', x' \rangle) \stackrel{\text{def}}{=} \\ \\ & & \\ & & \\ \begin{pmatrix} (pc=1) & \wedge & (x>0) & \Rightarrow & (pc'=2) & \wedge & (x'=x) \\ (pc=1) & \wedge & \neg(x>0) & \Rightarrow & (pc'=4) & \wedge & (x'=x) \\ (pc=2) & & \Rightarrow & (pc'=5) & \wedge & (x'=x-1) \\ \end{pmatrix}$$

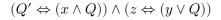
$$\bigwedge \left(\begin{array}{ccc} (pc=1) & \wedge & (x>0) & \Rightarrow & (pc'=2) & \wedge & (x'=x) \\ (pc=1) & \wedge & \neg(x>0) & \Rightarrow & (pc'=4) & \wedge & (x'=x) \\ (pc=2) & & \Rightarrow & (pc'=5) & \wedge & (x'=x-1) \\ (pc=4) & & \Rightarrow & (pc'=5) & \wedge & (x'=x+1) \end{array} \right)$$

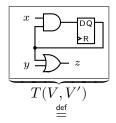
$$\bigwedge \left(\begin{array}{cccc} (pc=1) & \wedge & (x>0) & \Rightarrow & (pc'=2) & \wedge & (x'=x) \\ (pc=1) & \wedge & \neg(x>0) & \Rightarrow & (pc'=4) & \wedge & (x'=x) \\ (pc=2) & & \Rightarrow & (pc'=5) & \wedge & (x'=x-1) \\ (pc=4) & & \Rightarrow & (pc'=5) & \wedge & (x'=x+1) \end{array} \right)$$

$$\begin{array}{ll} P(V) & \stackrel{\text{def}}{=} & (pc=5) \Rightarrow (x \geq 0) \\ I(V) & \stackrel{\text{def}}{=} & (pc=1) \end{array}$$







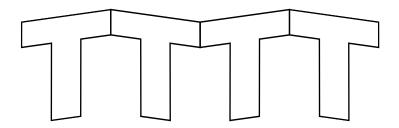


$$(Q' \Leftrightarrow (x \land Q)) \land (z \Leftrightarrow (y \lor Q))$$

$$\begin{array}{rcl} P(V) & \stackrel{\mathrm{def}}{=} & z \\ I(V) & \stackrel{\mathrm{def}}{=} & \mathsf{Q} \end{array}$$







The C Bounded Model Checker (CBMC)



Daniel Kröning

- Checks C programs for assertion violations
- Checks only k loop iterations
- Converts T into propositional logic

https://www.cprover.org/cbmc
(and that's where our journey started)

Course Outline

- Part 1: Assertions and Testing
 - Programming and Reasoning with Assertions
 - Testing and Coverage Metrics
 - Automated Test-Case Generation
- Part 2: Logic and Reasoning
 - Propositional Logic (and SAT Solvers)
 - First-Order Logic (and SMT Solvers)
 - Hoare Logic
 - Temporal Logic
- Part 3: Automated Verification
 - SMV (Symbolic Model Checking)
 - SPIN (Partial Order Reduction)
 - Bounded Model Checking of C Programs



March

April

⟩ May

Lecture, Exercises and Exam

- Lectures: Wednesday and Friday, 9:30am-11am
 - Recordings on LectureTube (see TUWEL)
- VU = Iecture + exercises
 - Application of verification and testing tools
 - Pencil & paper homeworks
 - Exercises form 50% of the grade
- 3 exercises (TUWEL)
 - Assertions/Testing/Coverage: Released March 22, due April 24
 - Hoare Logic and BMC:
 - Released April 24, due May 24
 - Temporal Logic & Automated Reasoning: Released May 08, due May 29
- Written Exams (in-person):
 - June 12, 9:<u>00</u>am to 11:00am
 - end of September/beginning of October